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On the expanding configurations of viscous radiation gaseous stars: the isentropic model.
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MSC:

- 35Q30 Navier-Stokes equations
- 35A01 Existence problems for PDEs: global existence, local existence, non-existence
- 35Q35 PDEs in connection with fluid mechanics
- 35Q85 PDEs in connection with astronomy and astrophysics
- 76E20 Stability and instability of geophysical and astrophysical flows

Keywords:

asymptote; homogeneous solutions; stability; radiation gaseous stars

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