

**Ivanov, I.; Imsland, Lars; Bogdanova, B.**

**Iterative algorithms for computing the feedback Nash equilibrium point for positive systems.**  
(English) [Zbl 1362.49022](#)

Int. J. Syst. Sci., Princ. Appl. Syst. Integr. 48, No. 4, 729-737 (2017).

Summary: The paper studies  $N$ -player linear quadratic differential games on an infinite time horizon with deterministic feedback information structure. It introduces two iterative methods (the Newton method as well as its accelerated modification) in order to compute the stabilizing solution of a set of generalized algebraic Riccati equations. The latter is related to the Nash equilibrium point of the considered game model. Moreover, we derive sufficient conditions for convergence of the proposed methods. Finally, we discuss two numerical examples so as to illustrate the performance of both of the algorithms.

**MSC:**

[49N75](#) Pursuit and evasion games  
[49N10](#) Linear-quadratic optimal control problems  
[91A06](#)  $n$ -person games,  $n > 2$   
[91A23](#) Differential games (aspects of game theory)  
[49M15](#) Newton-type methods

Cited in **2** Documents

**Keywords:**

$H_\infty$  optimal control problem; feedback Nash equilibrium; generalized Riccati equation; stabilizing solution; positive system;  $N$ -player linear quadratic differential games

**Full Text:** [DOI](#)

**References:**

- [1] DOI: 10.3166/ejc.11.1-10 · Zbl 1293.93172 · doi:10.3166/ejc.11.1-10
- [2] Basar B., Dynantic noncooperative game theory (1999)
- [3] DOI: 10.1137/1.9781611971262 · doi:10.1137/1.9781611971262
- [4] DOI: 10.1016/S0024-3795(00)00144-0 · Zbl 0982.65050 · doi:10.1016/S0024-3795(00)00144-0
- [5] DOI: 10.1007/3-540-34774-7\_9 · doi:10.1007/3-540-34774-7\_9
- [6] Dragan V., Mathematical Reports, 9 (59) pp 35– (2007)
- [7] DOI: 10.1007/BF03323366 · Zbl 1117.34053 · doi:10.1007/BF03323366
- [8] DOI: 10.1002/9781118033029 · doi:10.1002/9781118033029
- [9] DOI: 10.1137/090758593 · Zbl 1207.91068 · doi:10.1137/090758593
- [10] DOI: 10.1016/S0024-3795(02)00651-1 · Zbl 1070.34054 · doi:10.1016/S0024-3795(02)00651-1
- [11] DOI: 10.1137/S089547989834980X · Zbl 0973.65025 · doi:10.1137/S089547989834980X
- [12] DOI: 10.1016/j.na.2007.10.034 · Zbl 1162.65020 · doi:10.1016/j.na.2007.10.034
- [13] Jank G., Proceedings of MTNS pp 1– (2004)
- [14] Kantorovich L., Functional analysis innormed spaces (1964)
- [15] DOI: 10.1007/978-1-4612-4274-1\_17 · doi:10.1007/978-1-4612-4274-1\_17
- [16] DOI: 10.2307/1906922 · Zbl 0063.03906 · doi:10.2307/1906922
- [17] DOI: 10.1007/BF00929443 · Zbl 0169.12301 · doi:10.1007/BF00929443
- [18] van den Broek W., Uncertainty in differential games (2001)
- [19] DOI: 10.1023/B:JOTA.0000006690.78564.88 · Zbl 1084.91009 · doi:10.1023/B:JOTA.0000006690.78564.88
- [20] DOI: 10.1080/00207721.2012.685200 · Zbl 1307.93177 · doi:10.1080/00207721.2012.685200
- [21] DOI: 10.1080/00207721.2015.1022889 · Zbl 1347.93215 · doi:10.1080/00207721.2015.1022889

This reference list is based on information provided by the publisher or from digital mathematics libraries. Its items are heuristically matched to zbMATH identifiers and may contain data conversion errors. It attempts to reflect the references listed in the original paper as accurately as possible without claiming the completeness or perfect precision of the matching.