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Multibump solutions of nonlinear periodic Schrödinger equations in a degenerate setting.

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MSC:

35Q55 NLS equations (nonlinear Schrödinger equations)

35J60 Nonlinear elliptic equations

47H07 Monotone and positive operators on ordered Banach spaces or other ordered topological vector spaces

Cited in **23** Documents

Keywords:

existence; two bump solutions; periodic superlinear Schrödinger equations; splitting condition; standing waves; traveling waves; potential wells; equilibrium state

Full Text: [DOI](#)

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