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Square-free perfect graphs. (English) [Zbl 1033.05047](#)

J. Comb. Theory, Ser. B 90, No. 2, 257-307 (2004).

Summary: We prove that square-free perfect graphs are bipartite graphs or line graphs of bipartite graphs or have a 2-join or a star cutset.

MSC:

05C17 Perfect graphs

Cited in **2** Reviews
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