

Chinchalkar, Shirish

The application of automatic differentiation to problems in engineering analysis. (English)

Zbl 0842.73079

Comput. Methods Appl. Mech. Eng. 118, No. 1-2, 197-207 (1994).

Summary: Automatic differentiation is a technique of computing the derivative of a function or a subroutine written in a higher-level language such as FORTRAN or C. Significant progress has been made in this field in the last few years. Here, we get a short exposition of automatic differentiation and demonstrate its applicability to several fields of engineering analysis.

MSC:

74S30 Other numerical methods in solid mechanics (MSC2010)

76M25 Other numerical methods (fluid mechanics) (MSC2010)

65D25 Numerical differentiation

Cited in 1 Document

Keywords:

FORTRAN; C

Software:

ADIFOR

Full Text: [DOI](#)

References:

- [1] Kedem, G.: Automatic differentiation of computer programs. ACM trans. Math. software 6, No. 2, 150-165 (1980) · [Zbl 0441.68041](#)
- [2] Rall, L. B.: Automatic differentiation: techniques and applications. Lecture notes in computer science (1981) · [Zbl 0473.68025](#)
- [3] Griewank, A.: On automatic differentiation. Mathematical programming: recent developments and applications, 83-108 (1989)
- [4] Juedes, D.: A taxonomy of automatic differentiation tools. Automatic differentiation of algorithms: theory, implementation, and application (1991) · [Zbl 0782.65029](#)
- [5] Griewank, A.: Achieving logarithmic growth of temporal and spatial complexity in reverse automatic differentiation. Mcs-p228-0491 (1991)
- [6] Bischof, C.: ADIFOR: generating derivative codes from Fortran programs. Mcs-p263-0991 (1991)
- [7] Bischof, C.: Getting started with ADIFOR. ADIFOR working note #9 (1991)
- [8] Fischer, H.: Special problems in automatic differentiation. Automatic differentiation of algorithms: theory, implementation, and application (1991) · [Zbl 0782.65023](#)
- [9] Pinder, G. F.; Gray, W. G.: Finite element simulation in surface and subsurface hydrology. (1977)
- [10] Chang, L. -C.C.: Application of constrained optimal control algorithms to groundwater remediation. Ph.d. thesis (1990)
- [11] Ahlfeld, D. P.; Mulvey, J. M.; Pinder, G. F.; Wood, E. F.: Contaminated groundwater remediation design using simulation, optimization, and sensitivity theory: 1. Model development. Water resources res. 24, No. 3, 432-441 (March 1988)
- [12] Yatheendhar, M.; Belegundu, A. D.: Analytical shape sensitivity by implicit differentiation for general velocity fields. Comput. & struct. 46, No. 4, 617-623 (1993) · [Zbl 0773.73094](#)
- [13] Lee, X.; Dasgupta, G.: Analysis of structural variability with computer algebra. ASCE J. Engrg. mech. 114, No. 1, 161-171 (January 1988)
- [14] Nakagiri, S.; Hisada, T.: A note on stochastic finite element method: part 1—variation of stress and strain caused by shape fluctuation. Seisan-kenkyu 32, No. 2, 39-42 (1980)

This reference list is based on information provided by the publisher or from digital mathematics libraries. Its items are heuristically matched to zbMATH identifiers and may contain data conversion errors. It attempts to reflect the references listed in the original paper as accurately as possible without claiming the completeness or perfect precision of the matching.