

**Pullin, D. I.; Saffman, P. G.**

**Reynolds stresses and one-dimensional spectra for a vortex model of homogeneous anisotropic turbulence.** (English) Zbl 0830.76044

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Summary: Homogeneous anisotropic turbulence consisting of a collection of straight vortex structures is considered, each with a cylindrically unidirectional, but otherwise arbitrary, internal vorticity field. The orientations of the structures are given by a distribution  $P$  of appropriate Euler angles describing the transformation from laboratory to structure-fixed axes. One-dimensional spectra of the velocity components are calculated in terms of  $P$ , and the shell-summed energy spectrum. An exact kinematic relation is found in which volume-averaged Reynolds stresses are proportional to the turbulent kinetic energy of the vortex collection times a tensor moment of  $P$ . A class of large-eddy simulation models for nonhomogeneous turbulence is proposed based on application of the present results to the calculation of subgrid Reynolds stresses. These are illustrated by the development of a simplified model using a rapid-distortion-like approximation.

**MSC:**

76F99 Turbulence

Cited in **25** Documents

**Keywords:**

straight vortex structures; Euler angles; shell-summed energy spectrum; turbulent kinetic energy; large-eddy simulation; rapid-distortion-like approximation

**Full Text:** [DOI](#)

**References:**

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