

**Li, C. P.**

**Implicit finite volume methods and application to a delta wing problem.** (English)

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**MSC:**

76M25 Other numerical methods (fluid mechanics) (MSC2010)

76N15 Gas dynamics (general theory)

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