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Equivariant decomposition of polynomial vector fields. (English) Zbl 07442604
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MSC:

- 17B66 Lie algebras of vector fields and related (super) algebras
- 34C20 Transformation and reduction of ordinary differential equations and systems, normal forms
- 70G65 Symmetries, Lie group and Lie algebra methods for problems in mechanics
- 70K45 Normal forms for nonlinear problems in mechanics
- 15A72 Vector and tensor algebra, theory of invariants

Keywords:

invariant theory; Clebsch-Gordan coefficients; inversion of the Clebsch-Gordan coefficients; nilpotent singularity; unique normal form; Euler vector field

Full Text: [DOI](#) [arXiv](#)

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