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**Erratum to: “Tropical mirror symmetry for elliptic curves”.** (English) Zbl 1431.14049  
J. Reine Angew. Math. 760, 163-164 (2020).

From the text: We thank Elise Goujard and Martin Möller for pointing out and closing a gap in Theorem 3.2 of our work [ibid. 732, 211–246 (2017; [Zbl 1390.14191](#))]. The statement of the theorem is not accurate. The Feynman integrals in question are indeed quasimodular forms, however, they are not necessarily homogeneous. A corrected statement is given.

**MSC:**

[14T20](#) Geometric aspects of tropical varieties  
[14J33](#) Mirror symmetry (algebro-geometric aspects)

**Software:**

[ellipticcovers.lib](#)

**Full Text:** [DOI](#)

**References:**

- [1] J. Böhm, K. Bringmann, A. Buchholz and H. Markwig, Tropical mirror symmetry for elliptic curves, J. reine angew. Math. 732 (2017), 211-246. · [Zbl 1390.14191](#)
- [2] R. Dijkgraaf, Mirror symmetry and elliptic curves, The moduli space of curves, Progr. Math. 129, Birkhäuser, Boston (1995), 149-163., · [Zbl 0913.14007](#)
- [3] E. Goujard and M. Möller, Counting Feynman-like graphs: Quasimodularity and Siegel-Veech weight, preprint (2016), <https://arxiv.org/abs/1609.01658>. · [Zbl 1433.05155](#)
- [4] M. Kaneko and D. Zagier, A generalized Jacobi theta function and quasimodular forms, The moduli space of curves, Progr. Math. 129, Birkhäuser, Boston (1995), 149-163.

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