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Exponential decay of connection probabilities for subcritical Voronoi percolation in \mathbb{R}^d .
(English) [Zbl 07030876](#)

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MSC:

- 60K35 Interacting random processes; statistical mechanics type models; percolation theory
- 82B21 Continuum models (systems of particles, etc.) arising in equilibrium statistical mechanics
- 82B43 Percolation

Full Text: [DOI](#) [arXiv](#)

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