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Navier-Stokes flow in R^3 with measures as initial vorticity and Morrey spaces. (English)

Zbl 0681.35072

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The authors study the vorticity equations, derived from the unsteady, incompressible Navier-Stokes equations, with initial data in Morrey spaces. Under suitable smallness assumptions they prove the existence of a unique smooth global solution.

Reviewer: G. Warnecke

MSC:

35Q30 Navier-Stokes equations

35J25 Boundary value problems for second-order elliptic equations

76D05 Navier-Stokes equations for incompressible viscous fluids

Cited in **2** Reviews
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vorticity equations; incompressible Navier-Stokes equations; Morrey spaces; smallness assumptions; global solution

Full Text: DOI

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