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Edge states for the turbulence transition in the asymptotic suction boundary layer. (English)

Zbl 1287.76122

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Summary: We demonstrate the existence of an exact invariant solution to the Navier-Stokes equations for the asymptotic suction boundary layer. The identified periodic orbit with a very long period of several thousand advective time units is found as a local dynamical attractor embedded in the stability boundary between laminar and turbulent dynamics. Its dynamics captures both the interplay of downstream-oriented vortex pairs and streaks observed in numerous shear flows as well as the energetic bursting that is characteristic for boundary layers. By embedding the flow into a family of flows that interpolates between plane Couette flow and the boundary layer, we demonstrate that the periodic orbit emerges in a saddle-node infinite-period (SNIPER) bifurcation of two symmetry-related travelling-wave solutions of plane Couette flow. Physically, the long period is due to a slow streak instability, which leads to a violent breakup of a streak associated with the bursting and the reformation of the streak at a different spanwise location. We show that the orbit is structurally stable when varying both the Reynolds number and the domain size.

MSC:

76F06 Transition to turbulence

76D10 Boundary-layer theory, separation and reattachment, higher-order effects

Cited in **13** Documents

Keywords:

boundary layers; nonlinear dynamical systems; transition to turbulence

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References:

- [1] DOI: 10.1017/S0022112010000297 · Zbl 1189.76254 · doi:10.1017/S0022112010000297
- [2] DOI: 10.1103/PhysRevLett.108.044501 · doi:10.1103/PhysRevLett.108.044501
- [3] DOI: 10.1063/1.3265962 · Zbl 1183.76187 · doi:10.1063/1.3265962
- [4] DOI: 10.1017/S0022112009990863 · Zbl 1183.76688 · doi:10.1017/S0022112009990863
- [5] DOI: 10.1017/S0022112003003768 · Zbl 1034.76014 · doi:10.1017/S0022112003003768
- [6] DOI: 10.1017/S0022112097005818 · Zbl 0898.76028 · doi:10.1017/S0022112097005818
- [7] J. Fluid Mech. 611 pp 107– (2008)
- [8] Nonlinear Dynamics and Chaos: with Applications to Physics, Biology, Chemistry and Engineering (1994)
- [9] DOI: 10.1063/1.3589842 · Zbl 06422370 · doi:10.1063/1.3589842
- [10] DOI: 10.1103/PhysRevLett.96.174101 · doi:10.1103/PhysRevLett.96.174101
- [11] DOI: 10.1017/S0022112088001818 · Zbl 0643.76066 · doi:10.1017/S0022112088001818
- [12] DOI: 10.1017/S0022112009993144 · Zbl 1189.76258 · doi:10.1017/S0022112009993144
- [13] DOI: 10.1016/0167-2789(88)90032-2 · Zbl 0634.34027 · doi:10.1016/0167-2789(88)90032-2
- [14] DOI: 10.1103/PhysRevLett.91.224502 · doi:10.1103/PhysRevLett.91.224502
- [15] DOI: 10.1103/PhysRevE.78.037301 · doi:10.1103/PhysRevE.78.037301
- [16] DOI: 10.1017/S0022112000002421 · Zbl 0983.76025 · doi:10.1017/S0022112000002421
- [17] DOI: 10.1103/PhysRevE.61.7227 · doi:10.1103/PhysRevE.61.7227
- [18] DOI: 10.1103/PhysRevLett.99.034502 · doi:10.1103/PhysRevLett.99.034502
- [19] Phys. Rev. Lett. 94 pp 10– (2005)
- [20] DOI: 10.1146/annurev.fluid.39.050905.110308 · doi:10.1146/annurev.fluid.39.050905.110308

- [21] DOI: 10.1103/PhysRevE.75.066313 · doi:10.1103/PhysRevE.75.066313
- [22] DOI: 10.1098/rsta.2007.2132 · doi:10.1098/rsta.2007.2132
- [23] DOI: 10.1098/rsta.2008.0216 · Zbl 1221.76097 · doi:10.1098/rsta.2008.0216
- [24] J. Fluid Mech. 613 pp 255– (2008)
- [25] DOI: 10.1103/PhysRevLett.79.5250 · doi:10.1103/PhysRevLett.79.5250
- [26] Boundary-Layer Theory (2004)
- [27] DOI: 10.1146/annurev.fl.23.010191.003125 · doi:10.1146/annurev.fl.23.010191.003125
- [28] DOI: 10.1103/PhysRevE.55.2023 · doi:10.1103/PhysRevE.55.2023
- [29] DOI: 10.1017/S0022112090000829 · doi:10.1017/S0022112090000829
- [30] DOI: 10.1063/1.1821751 · doi:10.1063/1.1821751
- [31] Phys. Rev. Lett. 103 pp 1– (2009)
- [32] DOI: 10.1063/1.2136900 · Zbl 1188.76078 · doi:10.1063/1.2136900
- [33] DOI: 10.1063/1.4757227 · Zbl 06478030 · doi:10.1063/1.4757227
- [34] DOI: 10.1017/S0022112067001740 · doi:10.1017/S0022112067001740
- [35] DOI: 10.1017/jfm.2013.20 · Zbl 1284.76106 · doi:10.1017/jfm.2013.20
- [36] DOI: 10.1146/annurev-fluid-120710-101228 · Zbl 1352.76031 · doi:10.1146/annurev-fluid-120710-101228
- [37] DOI: 10.1017/S0022112001006243 · Zbl 0996.76034 · doi:10.1017/S0022112001006243
- [38] DOI: 10.1146/annurev.fluid.30.1.1 · doi:10.1146/annurev.fluid.30.1.1
- [39] J. Fluid Mech. 332 pp 185– (1997) · Zbl 0892.76036 · doi:10.1017/S0022112096003965
- [40] DOI: 10.1017/jfm.2013.75 · Zbl 1287.76155 · doi:10.1017/jfm.2013.75
- [41] DOI: 10.1017/S0022112095000462 · Zbl 0847.76007 · doi:10.1017/S0022112095000462
- [42] DOI: 10.1017/S0022112004009346 · Zbl 1065.76072 · doi:10.1017/S0022112004009346
- [43] DOI: 10.1126/science.1100393 · doi:10.1126/science.1100393
- [44] Phys. Rev. Lett. 98 pp 6– (2007)
- [45] DOI: 10.1093/qjmam/28.3.341 · Zbl 0321.76021 · doi:10.1093/qjmam/28.3.341
- [46] DOI: 10.1063/1.869185 · doi:10.1063/1.869185
- [47] DOI: 10.1017/S0022112095000978 · Zbl 0867.76032 · doi:10.1017/S0022112095000978
- [48] Stud. Appl. Maths 95 pp 319– (1995) · Zbl 0838.76026 · doi:10.1002/sapm1995953319
- [49] DOI: 10.1017/S0022112008005065 · Zbl 1171.76383 · doi:10.1017/S0022112008005065
- [50] New J. Phys. 11 pp 1– (2009)
- [51] DOI: 10.1017/S0022112007005459 · Zbl 1175.76074 · doi:10.1017/S0022112007005459
- [52] DOI: 10.1103/PhysRevLett.61.408 · doi:10.1103/PhysRevLett.61.408
- [53] DOI: 10.1103/RevModPhys.72.603 · doi:10.1103/RevModPhys.72.603

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