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General tax structures and the Lévy insurance risk model. (English) Zbl 1210.60098
J. Appl. Probab. 46, No. 4, 1146-1156 (2009).

This paper considers a surplus process in the form of a general spectrally negative Lévy process, that is commonly referred to as a Lévy insurance risk process, with tax payments of a more general structure than in the papers written recently.

They established new identities for the two-sided exit problem, a generalized version of the Gerber-Shiu function, as well as the net present value of tax paid until ruin.

Reviewer: [Anatoliy Swishchuk \(Calgary\)](#)

MSC:

60K05 Renewal theory
60K15 Markov renewal processes, semi-Markov processes
91B30 Risk theory, insurance (MSC2010)
60G70 Extreme value theory; extremal stochastic processes
60J55 Local time and additive functionals

Cited in **4** Reviews
Cited in **35** Documents

Keywords:

[reflected Lévy process](#); [passage problem](#); [integrated exponential Lévy process](#); [insurance risk process](#); [ruin](#); [excursion theory](#)

Full Text: [DOI](#) [arXiv](#)

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