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Epidemic models with spatial spread due to population migration. (English) Zbl 0522.92020
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For a scan of this review see the [web version](#).

MSC:

[92D25](#) Population dynamics (general)
[35B40](#) Asymptotic behavior of solutions to PDEs
[35K55](#) Nonlinear parabolic equations

Cited in **1** Review
Cited in **23** Documents

Keywords:

[spatial spread](#); [population migration](#); [threshold criteria](#); [nonlinear diffusion](#); [epidemic models](#)

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