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Sorting in one round. (English) Zbl 0461.05039
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For a scan of this review see the [web version](#).

MSC:

05C35 Extremal problems in graph theory
05C20 Directed graphs (digraphs), tournaments
68P10 Searching and sorting

Cited in **8** Documents

Keywords:

[sorting](#); [orientation](#); [transitive closure](#); [probabilistic method](#)

Full Text: [DOI](#)

References:

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