

Xuong, Nguyen Huy

How to determine the maximum genus of a graph. (English) Zbl 0403.05035
J. Comb. Theory, Ser. B 26, 217-225 (1979).

For a scan of this review see the [web version](#).

MSC:

05C10 Planar graphs; geometric and topological aspects of graph theory
05C35 Extremal problems in graph theory

Cited in **10** Reviews
Cited in **85** Documents

Keywords:

Maximum Genus of a Graph; Spanning Trees; Nonorientable Maximum Genus; Betti Number Parameters

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References:

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