Keisler, H. Jerome

A completeness proof for adapted probability logic. (English) Zbl 0601.03004

Ann. Pure Appl. Logic 31, 61-70 (1986).

Adapted probability logic is a formal logic appropriate for the study of continuous time stochastic processes. It was introduced by Keisler, and has been developed by Keisler and Hoover and others. This paper provides a short and clear completeness proof for this logic.

Reviewer: H.E.Kyburg

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