Kozen, Dexter
Results on the propositional μ-calculus. (English) Zbl 0553.03007
Theor. Comput. Sci. 27, 333-354 (1983).

In this paper we define and study a propositional μ-calculus $L\mu$, which consists essentially of propositional modal logic with a least fixpoint operator. $L\mu$ is syntactically simpler yet strictly more expressive than Propositional Dynamic Logic (PDL). For a restricted version we give an exponential-time decision procedure, small model property, and complete deductive system, thereby subsuming the corresponding results for PDL.

MSC:

03B45	Modal logic (including the logic of norms)
68Q65	Abstract data types; algebraic specification

Cited in **12** Reviews
Cited in **275** Documents

Keywords:

fixed point induction; completeness; propositional mu-calculus; propositional modal logic; decision procedure; small model property; PDL

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