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Intuitionistic propositional logic is polynomial-space complete. (English) Zbl 0411.03049
Theor. Comput. Sci. 9, 67-72 (1979).

For a scan of this review see the [web version](#).

MSC:

- 03F20 Complexity of proofs
- 03D15 Complexity of computation (including implicit computational complexity)
- 03F55 Intuitionistic mathematics
- 03B40 Combinatory logic and lambda calculus

Cited in **5** Reviews
Cited in **56** Documents

Keywords:

validity in intuitionistic propositional logic; length of derivations; complexity of proofs; Np-completeness; proof theory; typed lambda calculus

Full Text: [DOI](#)

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