

Baksalary, J. K.; Kala, R.

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J. Stat. Plann. Inference 1, 309-312 (1977).

For a scan of this review see the [web version](#).

MSC:

62J05 Linear regression; mixed models

Cited in 7 Documents

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