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MSC:

65L05 Numerical methods for initial value problems

41A20 Approximation by rational functions

30E10 Approximation in the complex plane

Cited in 11 Documents

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