

Kaplan, James L.; Yorke, James A.

Ordinary differential equations which yield periodic solutions of differential delay equations.
(English) [Zbl 0293.34102](#)

J. Math. Anal. Appl. 48, 317-324 (1974).

For a scan of this review see the [web version](#).

MSC:

34K99 Functional-differential equations (including equations with delayed, advanced or state-dependent argument)

34C25 Periodic solutions to ordinary differential equations

Cited in **15** Reviews
Cited in **111** Documents

Full Text: [DOI](#)

References:

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