

**Grünbaum, Branko**

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For a scan of this review see the [web version](#).

**MSC:**

**05C10** Planar graphs; geometric and topological aspects of graph theory  
**05C15** Coloring of graphs and hypergraphs

Cited in **7** Reviews  
Cited in **177** Documents

**Full Text:** [DOI](#)

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