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**Tail probability of low-priority queue length in a discrete-time priority BMAP/PH/1 queue.**  
(English) [Zbl 1069.60085](#)  
[Stoch. Models 21, No. 2-3, 799-820 \(2005\)](#).

Summary: We investigate the tail probability of the queue length of low-priority class for a discrete-time priority BMAP/PH/1 queue that consists of two priority classes, with BMAP (batch Markovian arrival process) arrivals of high-priority class and MAP (Markovian arrival process) arrivals of low-priority class. A sufficient condition under which this tail probability has the asymptotically geometric property is derived. A method is designed to compute the asymptotic decay rate if the asymptotically geometric property holds. For the case when the BMAP for high-priority class is the superposition of a number of MAP's, though the parameter matrices representing the BMAP are huge in dimension, a sufficient condition is numerically easy to verify and the asymptotic decay rate can be computed efficiently.

**MSC:**

[60K25](#) Queueing theory (aspects of probability theory)  
[90B22](#) Queues and service in operations research

Cited in **1** Review  
Cited in **4** Documents

**Keywords:**

[asymptotic decay rate](#); [batch Markovian arrival process](#); [discrete-time queues](#); [phase-type distribution](#)

**Full Text:** [DOI](#)

**References:**

- [1] DOI: 10.1023/A:1019104402024 · Zbl 0894.60088 · doi:10.1023/A:1019104402024
- [2] DOI: 10.1109/90.720887 · doi:10.1109/90.720887
- [3] Berger A. W., IEEE Commun. Mag. pp 2– (1998)
- [4] Berman A., Nonnegative Matrices in the Mathematical Science (1979)
- [5] DOI: 10.1109/9.661587 · Zbl 0949.93078 · doi:10.1109/9.661587
- [6] DOI: 10.1023/A:1014323618507 · Zbl 1001.90019 · doi:10.1023/A:1014323618507
- [7] Elwalid A., Proc. IEEE INFOCOM'95 pp 463–
- [8] DOI: 10.1080/15326349408807289 · Zbl 0791.60087 · doi:10.1080/15326349408807289
- [9] Hashida O., Teletraffic and Datatraffic in a Period of Change pp 521– (1991)
- [10] Khamisy A., INFOCOM 91 pp 1456– (1991)
- [11] DOI: 10.1093/qmath/12.1.283 · Zbl 0101.25302 · doi:10.1093/qmath/12.1.283
- [12] DOI: 10.2307/1427464 · Zbl 0709.60094 · doi:10.2307/1427464
- [13] DOI: 10.1080/15326349108807174 · Zbl 0733.60115 · doi:10.1080/15326349108807174
- [14] Neuts M. F., Matrix-Geometric Solutions in Stochastic Models (1981) · Zbl 0469.60002
- [15] Neuts M. F., Structured Stochastic Matrices of the M/G/1 Type and Their Applications (1989)
- [16] DOI: 10.1007/BF01721131 · Zbl 0612.60057 · doi:10.1007/BF01721131
- [17] DOI: 10.1080/15326348808807077 · Zbl 0646.60098 · doi:10.1080/15326348808807077
- [18] DOI: 10.1080/15326349908807161 · Zbl 0702.60085 · doi:10.1080/15326349908807161
- [19] DOI: 10.1016/0166-5316(83)90036-6 · Zbl 0521.90051 · doi:10.1016/0166-5316(83)90036-6
- [20] DOI: 10.1023/A:1019161120564 · Zbl 0942.90019 · doi:10.1023/A:1019161120564
- [21] DOI: 10.1109/TCOMM.1994.582893 · doi:10.1109/TCOMM.1994.582893
- [22] DOI: 10.1287/opre.47.6.917 · Zbl 0986.60087 · doi:10.1287/opre.47.6.917
- [23] DOI: 10.2307/1426527 · Zbl 0484.60072 · doi:10.2307/1426527
- [24] Zhang J., Proc. IEEE INFOCOM'93 pp 10–

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