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**On a minimax problem of Ricceri.** (English) Zbl 0986.49003

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Summary: Let  $E$  be a real separable and reflexive Banach space,  $X \subseteq E$  weakly closed and unbounded,  $\Phi$  and  $\Psi$  two non-constant weakly sequentially lower-semicontinuous functions defined on  $X$ , such that  $\Phi + \lambda\Psi$  is coercive for each  $\lambda \geq 0$ . In this setting, if

$$\sup_{\lambda \geq 0} \inf_{x \in X} (\Phi(x) + \lambda(\Psi(x) + \rho)) = \inf_{x \in X} \sup_{\lambda \geq 0} (\Phi(x) + \lambda(\Psi(x) + \rho))$$

for every  $\rho \in \mathbb{R}$  then one has

$$\sup_{\lambda \geq 0} \inf_{x \in X} (\Phi(x) + \lambda\Psi(x) + h(\lambda)) = \inf_{x \in X} \sup_{\lambda \geq 0} (\Phi(x) + \lambda\Psi(x) + h(\lambda))$$

for every concave function  $h : [0, +\infty[ \rightarrow \mathbb{R}$ .

**MSC:**

**49J35** Existence of solutions for minimax problems

Cited in **10** Documents

**Keywords:**

minimax problem; concave function; weak coerciveness; weakly sequentially lower-semicontinuity

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