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Turbulence spectra characteristics of high-order schemes for direct and large eddy simulation. (English) [Zbl 1038.76020](#)

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Summary: We discuss the comparative resolution of high-wavenumber portion of compressible turbulence energy spectrum by some high-order numerical schemes. Included are essentially nonoscillatory (ENO) schemes, weighted essentially nonoscillatory schemes (WENO), and compact differencing schemes. The governing equations are Navier-Stokes equations, and the objective is to identify the numerical scheme that best represents the physics of compressible turbulence. Mach number values of 0.1, 0.5 and 0.7 are studied. The compact differencing schemes need filters for numerical stability. It is found that a parameter in the filter scheme provides some flexibility for controlling the physical turbulence energy transfer rate at high wavenumbers, vis-à-vis the numerical dissipation at those scales. Although ENO schemes do not require filters for numerical stability, the present study shows that the addition of filters improves the energy transfer process at high wavenumbers. Without filtering, with relatively coarse grids, numerical turbulence caused by stencil adaptation persists. This limits the useful wavenumber resolution range of ENO schemes. The WENO schemes do not require the stabilizing filters, but the results tend to be slightly more dissipative. Finally, at low Mach numbers, the current compact differencing and filter scheme formulation gives better results, but as the Mach number increases the relative suitability of the ENO method increases.

MSC:

- [76F65](#) Direct numerical and large eddy simulation of turbulence
- [76M20](#) Finite difference methods applied to problems in fluid mechanics
- [76F50](#) Compressibility effects in turbulence

Cited in **8** Documents

Keywords:

essentially nonoscillatory schemes; compressible turbulence; energy spectrum; weighted essentially nonoscillatory schemes; compact differencing schemes; Navier-Stokes equations; filter scheme; numerical stability

Software:

[FDL3DI](#)

Full Text: [DOI](#)

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