

Lagraa, M.; Touhami, N.

Lie-algebraic structure from inhomogeneous Hopf algebras. (English) Zbl 0928.17013
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The authors construct Lie algebras of inhomogeneous quantum groups using the approach based on a bicovariant differential calculus on an inhomogeneous Hopf algebra studied in their preprint [The noncommutative Hopf algebra, <http://xxx.lanl.gov/abs/q-alg/9705005>]. This approach allows them to construct the vector space dual to the right-invariant differential one-forms which is equipped with a Hopf algebra structure which closes on a quantum Lie algebra satisfying a quantum Jacobi identity.

Reviewer: [O.Ninnemann \(Berlin\)](#)

MSC:

- [17B37](#) Quantum groups (quantized enveloping algebras) and related deformations
- [16W35](#) Ring-theoretic aspects of quantum groups (MSC2000)
- [81R50](#) Quantum groups and related algebraic methods applied to problems in quantum theory
- [16W30](#) Hopf algebras (associative rings and algebras) (MSC2000)
- [58B32](#) Geometry of quantum groups

Keywords:

[bicovariant differential calculus](#); [inhomogeneous Hopf algebra](#)

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References:

- [1] Ogievestsky O., *Commun. Math. Phys.* 150 pp 459– (1992)
- [2] DOI: [10.1007/BF00739579](#) · Zbl [0779.17017](#) · doi:[10.1007/BF00739579](#)
- [3] DOI: [10.1088/0305-4470/26/6/015](#) · Zbl [0776.17003](#) · doi:[10.1088/0305-4470/26/6/015](#)
- [4] DOI: [10.1016/0370-2693\(91\)90358-W](#) · doi:[10.1016/0370-2693\(91\)90358-W](#)
- [5] DOI: [10.1016/0370-2693\(92\)90396-L](#) · Zbl [0834.17021](#) · doi:[10.1016/0370-2693\(92\)90396-L](#)
- [6] DOI: [10.1007/BF02099276](#) · Zbl [0848.58004](#) · doi:[10.1007/BF02099276](#)
- [7] DOI: [10.1007/BF02099276](#) · Zbl [0848.58004](#) · doi:[10.1007/BF02099276](#)
- [8] DOI: [10.1007/BF02099276](#) · Zbl [0848.58004](#) · doi:[10.1007/BF02099276](#)
- [9] M. Lagraa and N. Touhami, "The noncommutative Hopf algebra," *q-alg/9705005*. · Zbl [0982.17007](#)
- [10] DOI: [10.1007/s002200050093](#) · Zbl [0881.17013](#) · doi:[10.1007/s002200050093](#)
- [11] DOI: [10.1063/1.532138](#) · Zbl [0887.58067](#) · doi:[10.1063/1.532138](#)
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- [13] DOI: [10.1007/BF01221411](#) · Zbl [0751.58042](#) · doi:[10.1007/BF01221411](#)
- [14] DOI: [10.1007/BF02099103](#) · Zbl [0743.17015](#) · doi:[10.1007/BF02099103](#)
- [15] DOI: [10.1063/1.532137](#) · Zbl [0910.53049](#) · doi:[10.1063/1.532137](#)
- [16] DOI: [10.1063/1.532137](#) · Zbl [0910.53049](#) · doi:[10.1063/1.532137](#)

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