

**Rybakov, V. V.**

**The universal theory of the free pseudoboolean algebra  $F_\omega(H)$  in the signature extended by constants for free generators.** (English) [Zbl 0767.03007](#)

Algebra, Proc. Int. Conf. Memory A. I. Mal'cev, Novosibirsk/USSR 1989, Contemp. Math. 131, Pt. 3, 645-656 (1992).

[For the entire collection see [Zbl 0745.00034](#).]

*H. Friedman* [*J. Symb. Logic* 40, 113-129 (1975; [Zbl 0318.02002](#))] has raised the problem of the existence of an algorithm recognizing admissibility of inferential rules in Heyting's intuitionistic propositional calculus  $H$ . Using special intuitionistic Kripke models, the author solves a generalization of Friedman's problem and proves the algorithmic solvability of logical equations in  $H$ . An algebraic corollary of these results is the decidability of the theory in the title.

Reviewer: [S.Rudeanu \(București\)](#)

**MSC:**

- [03B25](#) Decidability of theories and sets of sentences
- [08B20](#) Free algebras
- [06D20](#) Heyting algebras (lattice-theoretic aspects)
- [03G10](#) Logical aspects of lattices and related structures
- [03B20](#) Subsystems of classical logic (including intuitionistic logic)

**Keywords:**

Heyting's intuitionistic propositional calculus  $H$ ; algorithmic solvability of logical equations in  $H$ ; intuitionistic Kripke models; decidability